



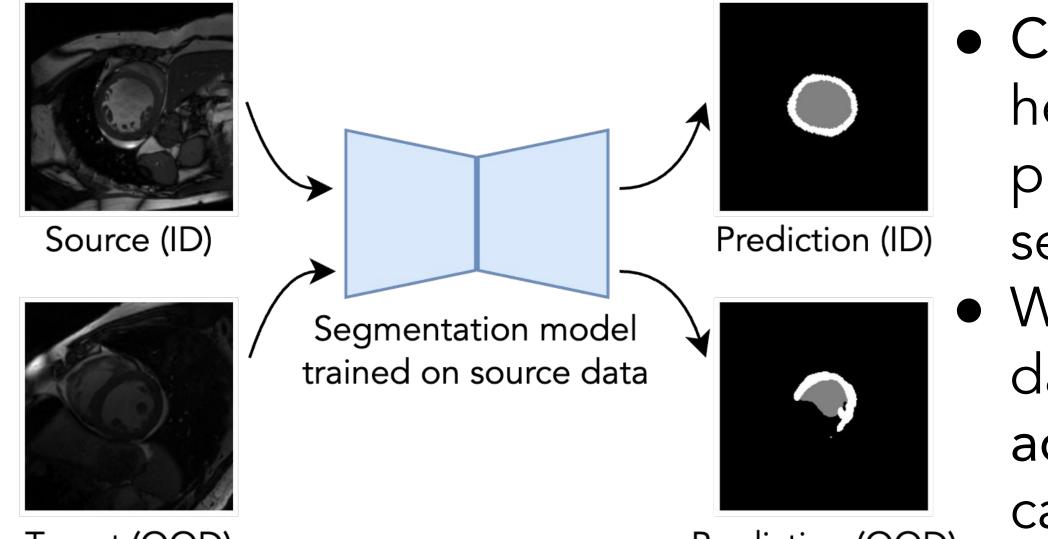


Progressive Test Time Energy Adaptation for Medical Image Segmentation

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Background



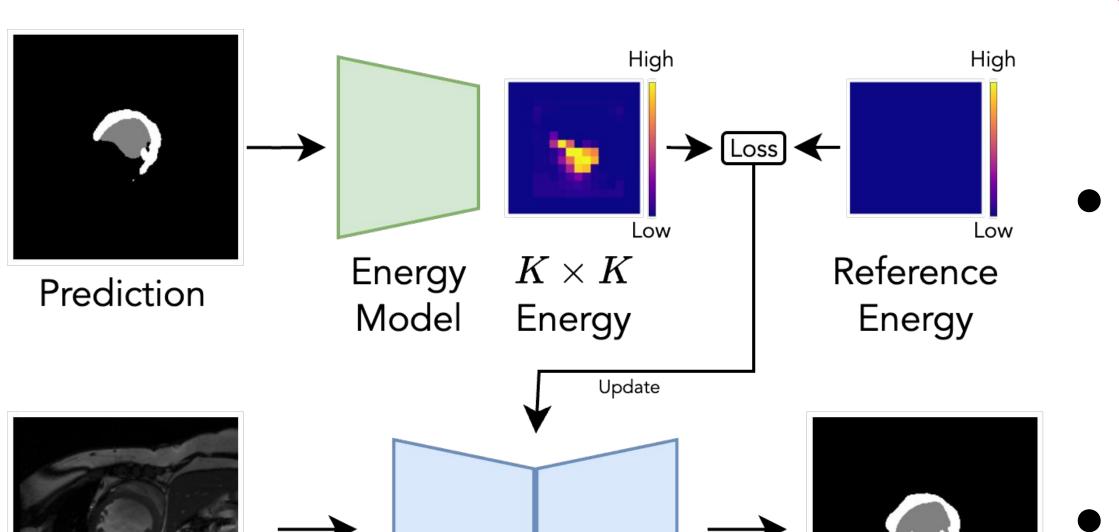
- Covariate shifts caused by nuisances such as heteroscedastic noise and inconsistent imaging protocols limit the fidelity of medical image segmentation models.
- Without assuming access to a pre-collected target dataset, which is often impractical, test-time adaptation (TTA) offers a practical solution to calibrate models on-the-fly during inference.

Problem formulation

Assuming a segmentation model is solely trained on source dataset, our goal is to adapt the model to target data without access to the entire target dataset.

Key components

Region-based Shape Energy Model



Why energy? Quantifies distribution misalignment at test-time.

 Energy-based models naturally capture distribution changes by reflecting sample likelihood, make them suited for TTA.

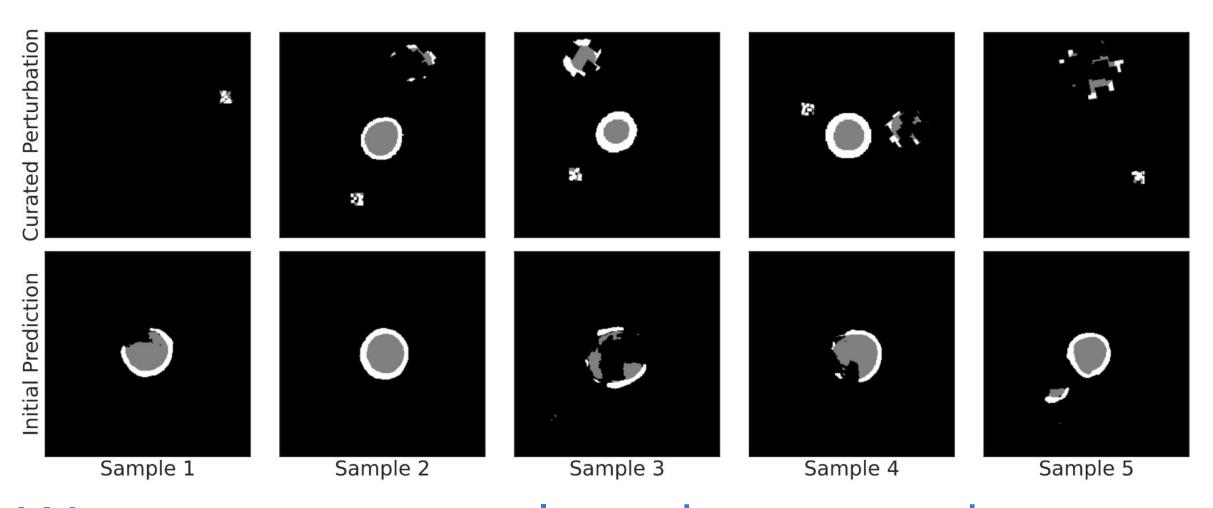
$$p_\phi(x) = rac{\exp(-E_\phi(x))}{Z(\phi)}$$

- We propose a shape energy model trained on source data, which assigns an energy score at the region level:
- □ low energy -> ID (accurate) shapes
- high energy -> OOD (erroneous) predictions

Curate negative examples for energy model training

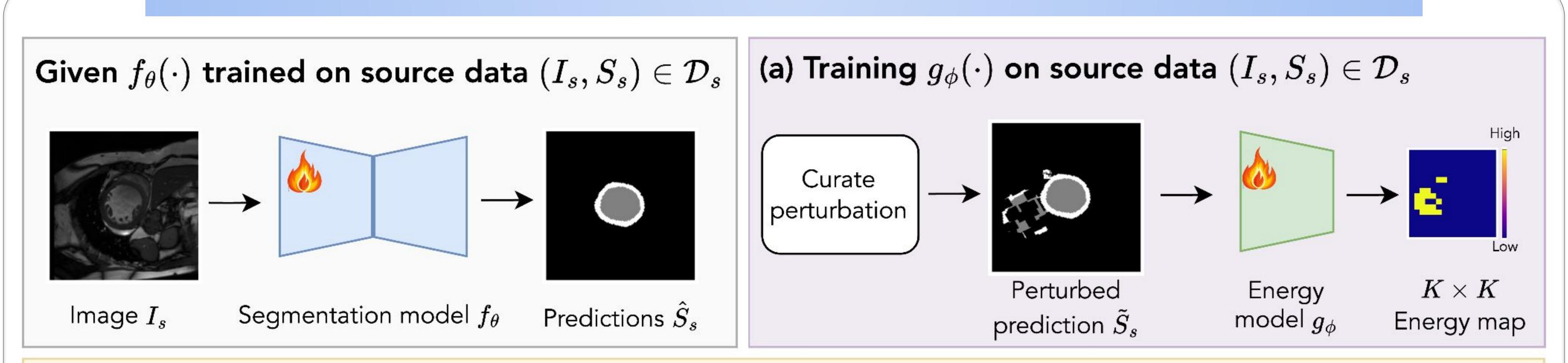
Impossible to have real negative examples? Curate them instead.

- Our formulation assumes two collections of examples, one following the desired distribution (of shapes) and the other out-of-distribution (OOD).
- In addition, the input distribution to the energy model is constrained by the predictions afforded by the segmentation model.



We propose to explore data space by probing the segmentation model with inputs optimized to simulate OOD examples.

Methods



(b) Progressive test time adaptation on target data $I_t \in \mathcal{D}_t$ Image I_t Reference Adapted Segmentation energy $\mathbb{0}_{K imes K}$ prediction S_t Energy map

Perturbation curation

We generate negative (implausible) examples by applying FGSM adversarial noise and spatial affine transformations to the input images.

- ullet Apply FGSM adversarial noise: $\epsilon = \delta \operatorname{sign}\left(
 abla_{I_s} \mathcal{L}(f_{ heta}(I_s), S_s)
 ight)$
- Apply random affine transforms
- ullet Generate perturbed segmentation: $ilde{S_s} = f_{ heta}(I_s + \epsilon)$

Label curation

For each perturbed segmentation, we compare it with ground truth and assign categorical energy labels to each region, where regions dissimilar to the ground truth are labeled as high-energy. $y_s = 1 - \mathbf{1}(d(\tilde{s}_s, s_s) < \tau)$

Shape energy model training

A region-based model learns patchwise energy values, assigning high energy to implausible regions and low energy to anatomically valid ones.

LOSS: $\mathcal{L}_\phi = rac{1}{N_n} \sum_{i=1}^{N_p} \left(-y_s^i \log \sigma(-g_\phi(s_s^i)) - (1-y_s^i) \log(1-\sigma(-g_\phi(s_s^i)))
ight)$

Progressive test-time adaptation

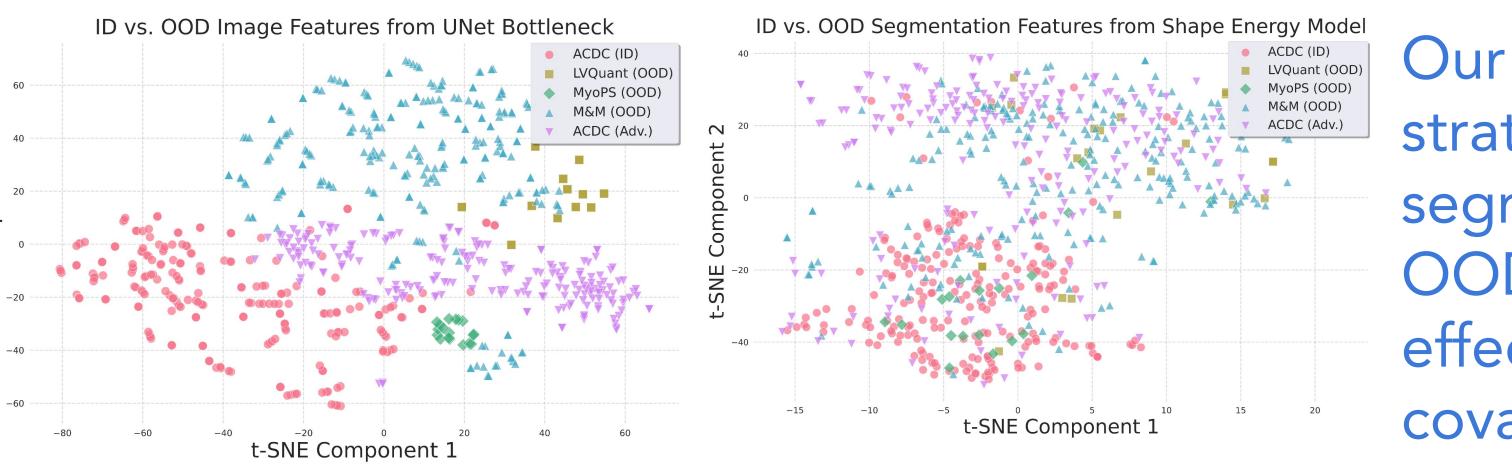
At inference, the segmentation model is iteratively updated to minimize the predicted energy, aligning outputs with plausible anatomical shapes.

Update rule: $heta^* = rg \min_{ heta} - \sum_{i=1}^{B_t} \log(1 - \sigma(-g_\phi(\hat{s}_t^i)))$

Datasets: (1) Cardiac (2D MRI)): ACDC, LVQuant, MyoPS, M&M (2) Spinal cord (2D MRI): GMSC (sites 1-4) (3) Lung (2D X-ray): CHN, MCU, JSRT. Metrics: (1) Dice coefficient score (DSC, %) (2) average surface distance (ASD, %)

Results

T-SNE analysis of curated perturbation



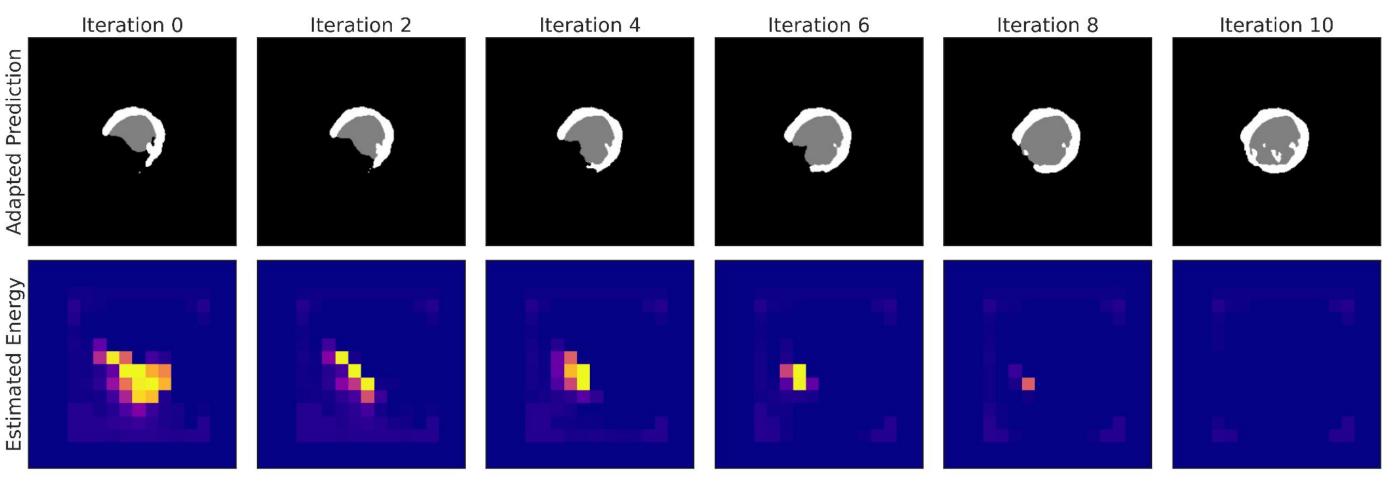
ACDC (ID)

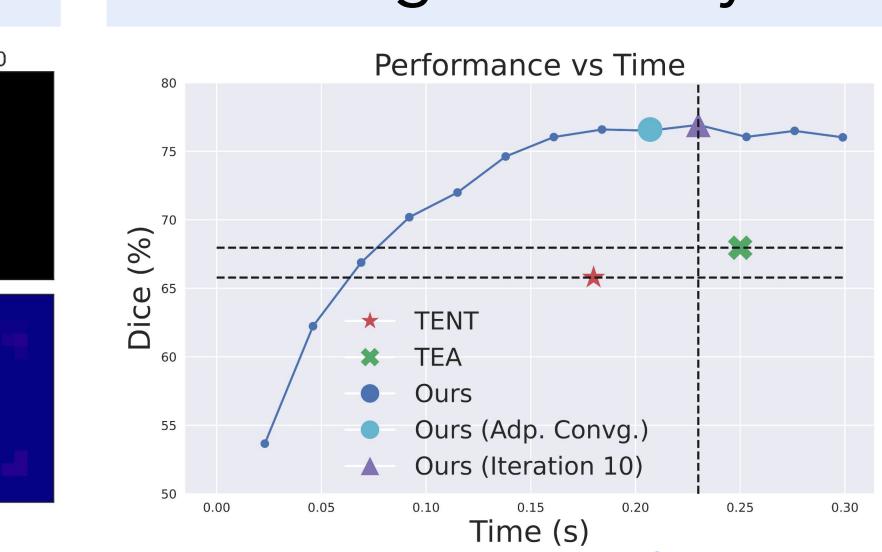
LVQuant (OOD)

Our adversarial perturbation strategy produces images and segmentations that align with OOD cases, validating its effectiveness in modeling real covariate shifts.

Progressive update visualization

Convergence analysis



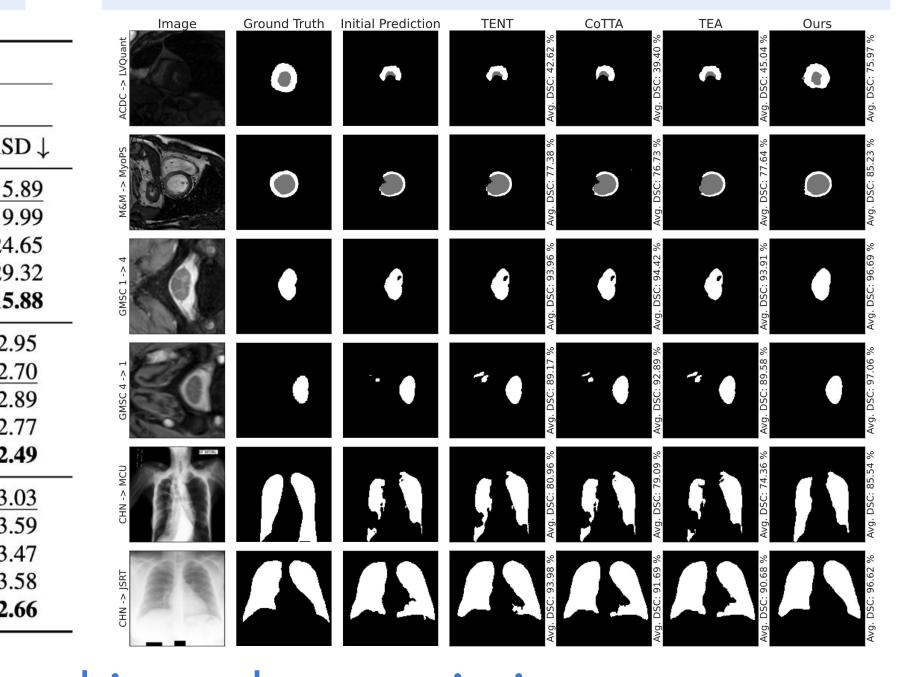


Our method progressively refines segmentation quality over iterations (left), while achieving better convergence under the same time budget (right).

Quantitative evaluation

Adaptation visualization

		ACDC [2] \mapsto LVQuant [61]				ACDC [2] \mapsto MyoPS [28]				ACDC [2] \mapsto M&M [3]			
		LV		Myo		LV		Myo		LV		Myo	
		DSC ↑	ASD ↓	DSC ↑	ASD ↓	DSC ↑	ASD ↓	DSC ↑	ASD ↓	DSC ↑	ASD ↓	DSC ↑	ASD ↓
	Pretrained [43]	58.98	24.40	42.52	19.37	85.69	2.99	72.91	2.26	47.69	24.11	41.19	15.89
ب	TENT [55]	65.78	15.37	51.57	12.78	85.63	2.94	73.49	3.24	57.01	21.15	48.26	19.99
UNet	CoTTA [56]	64.58	17.69	50.52	13.80	85.64	2.96	73.47	3.24	52.98	27.55	46.72	24.65
n	TEA [63]	67.96	16.42	54.10	11.17	85.88	3.21	73.98	2.86	52.83	38.43	48.06	29.32
	Ours	76.93	8.77	59.43	11.68	86.06	2.93	78.89	1.91	61.84	19.28	53.13	15.88
	Pretrained [44]	57.55	8.67	42.26	4.80	84.39	3.39	75.77	2.07	78.43	5.48	61.06	2.95
MedNeXt	TENT [55]	75.10	6.10	54.91	3.97	84.48	3.35	75.92	2.04	83.18	4.53	67.56	2.70
ž	CoTTA [56]	74.57	6.32	54.85	3.93	84.46	3.36	75.95	2.03	82.90	4.83	67.93	2.89
Jε	TEA [63]	75.85	5.96	55.32	3.88	84.12	3.44	75.25	2.07	83.53	4.64	67.84	2.77
4	Ours	76.22	5.29	57.29	3.70	84.78	3.28	76.44	1.98	83.82	4.11	68.40	2.49
winUNETR	Pretrained [16]	68.44	5.92	47.64	4.20	84.84	3.26	76.35	1.99	81.92	3.52	61.83	3.03
	TENT [55]	74.06	6.64	54.15	4.18	85.06	3.20	77.38	1.98	83.27	4.02	67.26	3.59
	CoTTA [56]	73.41	6.38	54.19	4.19	85.18	3.19	77.72	1.91	83.43	3.87	67.61	3.47
	TEA [63]	74.32	5.99	54.73	4.11	85.04	3.19	77.79	1.91	83.93	3.90	68.60	3.58
	•	=			2.00		2.45		4.00	00.00	2.42	CO 15	



Our proposed approach can be plugged-and-played into three existing architectures and we consistently outperform baselines in eight datasets.

High-energy corresponds to test-time segmentation errors

Method	$ACDC \mapsto LVQuant$	$ACDC \mapsto MyoPS$	$ACDC \mapsto M$
UNet	93.64	96.55	94.53
MedNeXt	92.17	95.83	93.66
SwinUNETR	92.01	96.42	93.97

Our shape energy model achieves over 92% accuracy across different segmentation models, confirming its effectiveness in identifying errors at test-time.

Hyperparameter sensitivity

	Ţ 1	s proposea.	$1 \mapsto 2$	$1 \mapsto 3$	$1 \mapsto 4$	$4 \mapsto 1$	$4 \mapsto 2$	$4 \mapsto 3$	Avg.
		4 × 4	69.1	73.2	93.4	89.4	42.5	85.3	75.5
	Patch Size	$9 \times 9^{\dagger}$	73.6	77.7	95.3	95.1	56.2	87.2	80.9
		18×18	73.0	77.9	94.5	94.7	57.2	87.7	80.8
		36×36	69.4	75.5	93.1	88.4	45.9	87.4	76.6
-	Threshold	$\tau = 25$	70.5	73.1	91.3	94.2	54.1	86.3	78.3
		$ au=50^\dagger$	73.6	77.7	95.3	95.1	56.2	87.2	80.9
		au = 75	73.0	79.1	95.1	94.7	52.6	87.3	80.3
		$\tau = 100$	71.6	75.7	95.1	94.6	52.5	86.7	79.4
	Mag.	$\delta = 0.1$	70.8	76.2	94.2	95.1	54.5	87.0	79.6
	$\mathbf{\Sigma}$	$\delta=0.05^{\dagger}$	73.6	77.7	95.3	95.1	56.2	87.2	80.9
	Pert.	$\delta = 0.01$	73.3	73.1	93.6	94.8	53.5	86.4	79.1